## Chapter 2: Properties of Angles and Triangles

## Lesson 2.1: Exploring Parallel Lines, page 72

1. a) e.g.,

| Parallel Lines | Transversals |
| :--- | :--- |
| bottom rail lines <br> rail ties <br> supports <br> top rail lines <br> struts in top rail | diagonal struts <br> rail ties |

b) No. The photograph is a perspective image so the corresponding angles when measured or traced would not be equal and parallel lines on the bridge when traced will not be parallel.
2. The following are pairs of corresponding angles:
$\angle E G B=\angle G H D, \angle A G E=\angle C H G$,
$\angle A G H=\angle C H F, \angle B G H=\angle D H F$,
$\angle E G A=\angle H G B, \angle E G B=\angle H G A$,
$\angle G H D=\angle F H C, \angle G H C=\angle F H D$,
$\angle E G A=\angle F H D, \angle E G B=\angle F H C$,
$\angle G H D=\angle H G A, \angle G H C=\angle B G H$.
Yes. Pairs of angles that are not equal are supplementary angles.
3. Using a ruler, draw a horizontal line and then a transversal. Measure an angle made by the horizontal line and transversal. Create an angle with this measure using a protractor anywhere else but on the same side of the transversal. Use the particular angle to draw a parallel line.
4. The transversal is the top edge of the plank of wood. The bevel has a protractor on it. As long as the angle of the T-bevel is the same, then the lines will be parallel because corresponding angles will be equal. The plank must have a true straight edge for the T-bevel to rest on and angles to be drawn accurately.
5. a) No. The measures of corresponding angles $\angle B G E$ and $\angle D H G$ are not equal, so $A B$ is not parallel to $C D$.
b) Yes. $\angle B G E$ and $\angle A G E$ are supplementary so $\angle A G E$ is $67^{\circ} . \angle C H F$ and $\angle C H G$ are supplementary so $\angle C H G$ is $67^{\circ}$. Corresponding angles $\angle A G E$ and $\angle C H E$ are equal, so $A B$ is parallel to $C D$.
c) Yes. $\angle B G H$ and $\angle A G H$ are supplementary so $\angle A G H$ is $94^{\circ}$. Corresponding angles $\angle A G H$ and $\angle C H E$ are equal, so $A B$ is parallel to $C D$.
d) No. $\angle C H G$ and $\angle D H G$ are supplementary, so $\angle C H E$ is $139^{\circ}$. Corresponding angles $\angle C H G$ and $\angle A G E$ are not equal, so $A B$ is not parallel to $C D$.
6. Disagree. The perpendicular distances along pairs of lines are constant or equal. Therefore, the diagonal lines are parallel. The hatching across each diagonal creates an optical illusion that the diagonals are skewed.

## Lesson 2.2: Angles Formed by Parallel Lines, page 78

1. 

| Statement | Justification |
| ---: | :--- |
| $K P, \angle Q, M R$, and $N S$ are <br> transversals for the parallel <br> lines. | Given $W X$ and $Y Z$ are <br> parallel. |
| $\angle A W Y=90^{\circ}$ | Given |
| $\angle W Y D+\angle A W Y=180^{\circ}$ | Interior angles on the <br> same side of a <br> transversal are <br> supplementary. |
| $\angle W Y D=90^{\circ}$ | Given |
| $\angle W A L=115^{\circ}$ | Corresponding angles <br> are equal. |
| $\angle Y D A=\angle W A L$ |  |
| $\angle Y D A=115^{\circ}$ | Given |
| $\angle C B E=80^{\circ}$ | Alternate interior angles <br> are equal. |
| $\angle D E B=\angle C B E$ |  |
| $\angle D E B=80^{\circ}$ | Given |
| $\angle X C N=45^{\circ}$ | Alternate exterior <br> angles are equal. |
| $\angle E F S=\angle X C N$ |  |
| $\angle E F S=45^{\circ}$ | arer |

2. a) Yes. The lines are parallel because the two given corresponding angles are equal.
b) No. The lines are not parallel because the two given interior angles on the same side of the transversal are not supplementary.
c) Yes. The lines are parallel because the two given alternate exterior angles are equal.
d) Yes. The lines are parallel because the two given alternate exterior angles are equal.
3. 

a)

| Statement | Justification |
| :---: | :--- |
| $k=p$ | Alternate interior angles are equal. |
| $a=j$ | Corresponding angles are equal. |
| $j=q$ | Alternate exterior angles are <br> equal. |
| $g=d$ | Vertically opposite angles are <br> equal. |
| $b=d$ | Corresponding angles are equal. <br> $d=m$ <br> $b=m$ |
| Corresponding angles equal. <br> Apply the transitive property by <br> substituting $m$ for $d$. |  |
| $e=g$ | Corresponding angles are equal. <br> $e=p$ |
| Corresponding angles are equal. <br> Apply the transitive property by <br> substituting $p$ for $g$. |  |

g)

| Statement | Justification |
| :---: | :--- |
| $n=m$ | Alternate exterior angles <br> are equal. <br> Corresponding angles are <br> equal. |
| $m=d$ | Apply the transitive <br> property by substituting <br> $n$ for $d$. |
| $f+k=180^{\circ}$ | Interior angles on the <br> same side of a transversal <br> are supplementary. |

